

The Hubble Tension

Sherry Suyu

Max Planck Institute for Astrophysics

Technical University of Munich

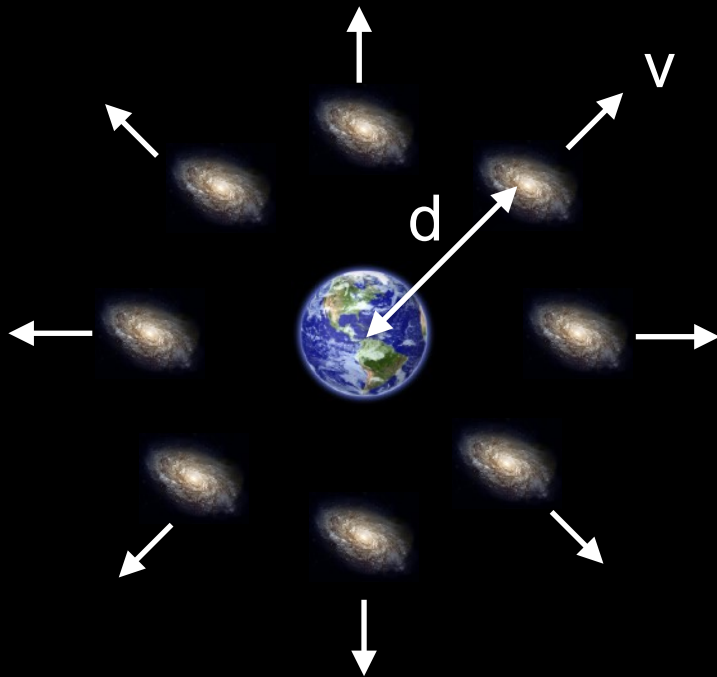
Academia Sinica Institute of Astronomy and Astrophysics

November 5, 2021

Brookhaven Forum 2021: Opening New Windows to the Universe

Expanding Universe

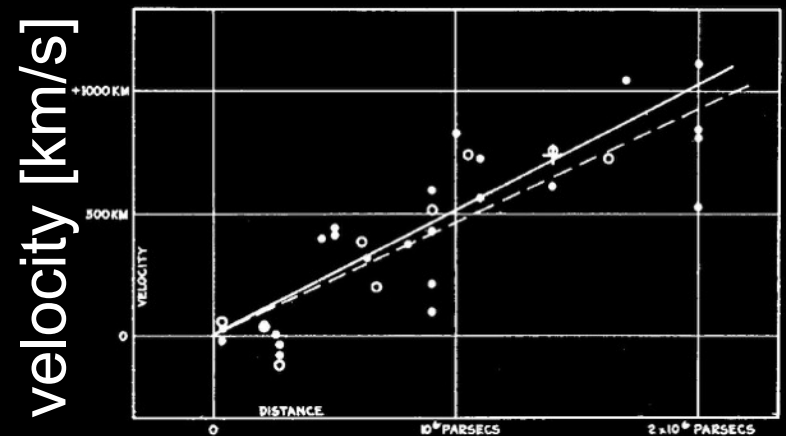
1920s
Discovery



Lemaître & Hubble
independently measured
the expansion rate

$$v = H_0 \times d$$

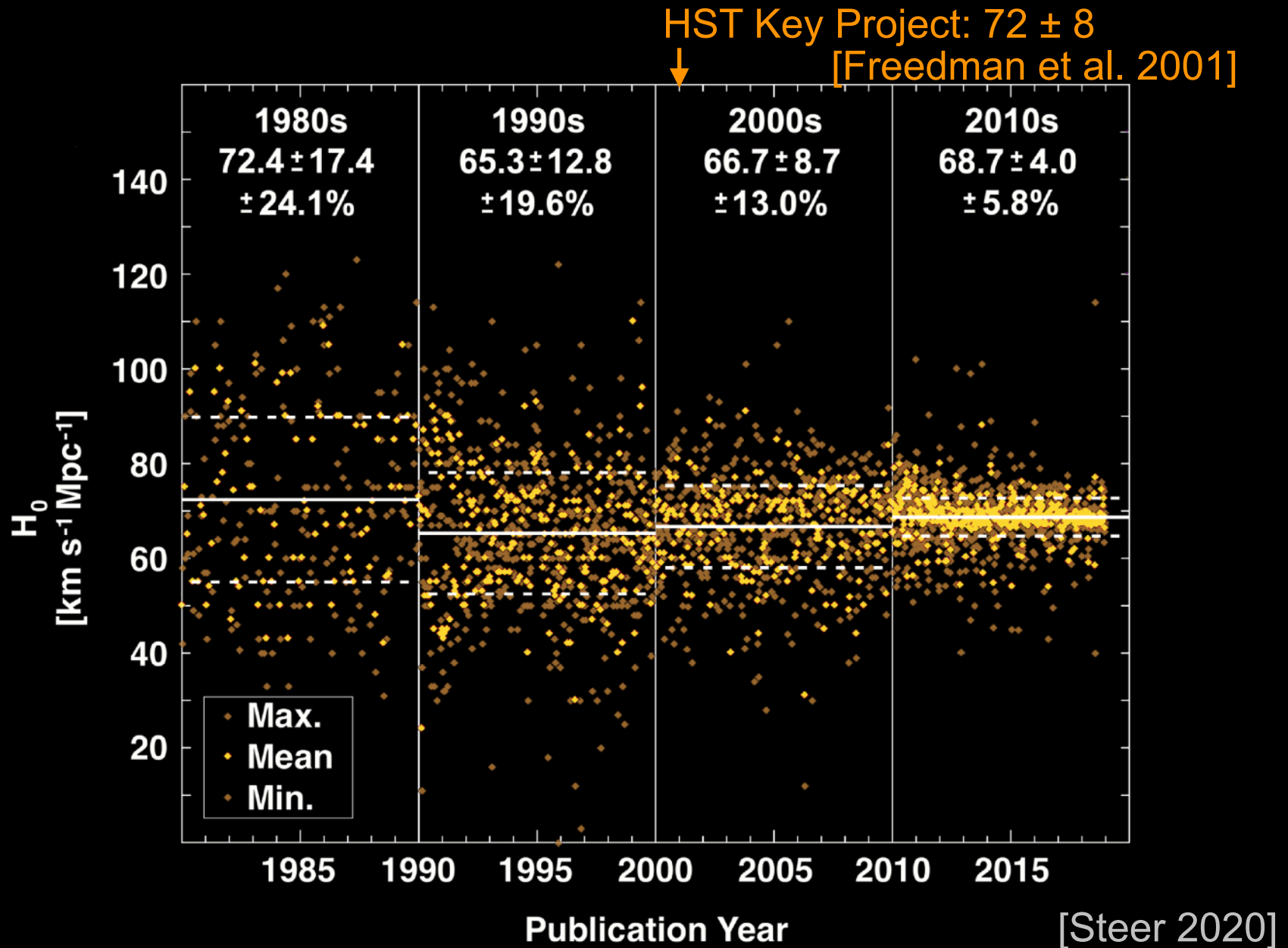
Hubble Constant



distance [Mpc]

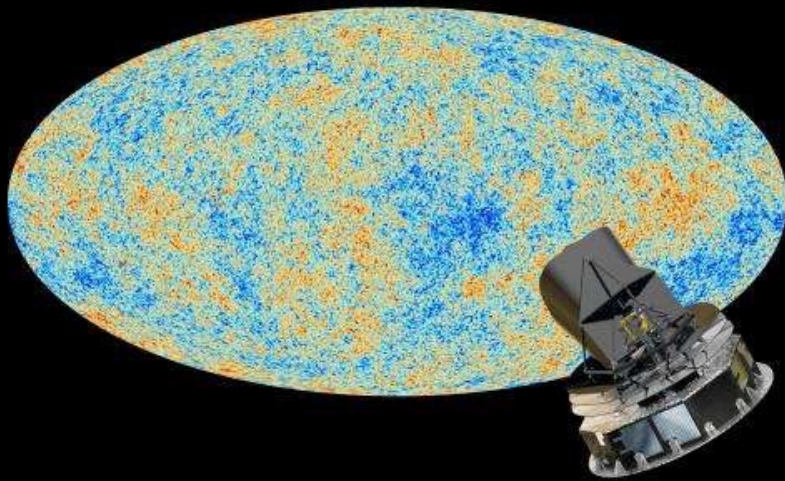
H₀ sets age and size of Universe! [Hubble 1929]

Measurements in the last decades

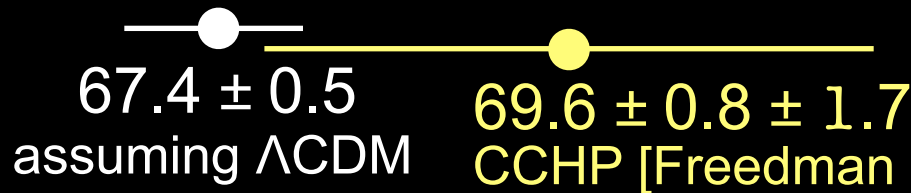


Tension in H_0

Measurement from early universe:
Cosmic Microwave Background



[Planck collaboration 2020]

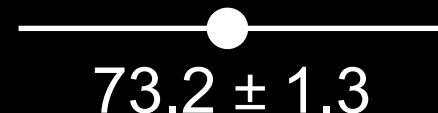


Measurement from local universe:
supernova distance ladder



[credit: NASA/JPL-Caltech]

SH0ES [Riess et al. 2021]



**New physics beyond standard
cosmological model Λ CDM?**

H_0
[$\text{km}^{-1}\text{s}^{-1}\text{Mpc}^{-1}$]

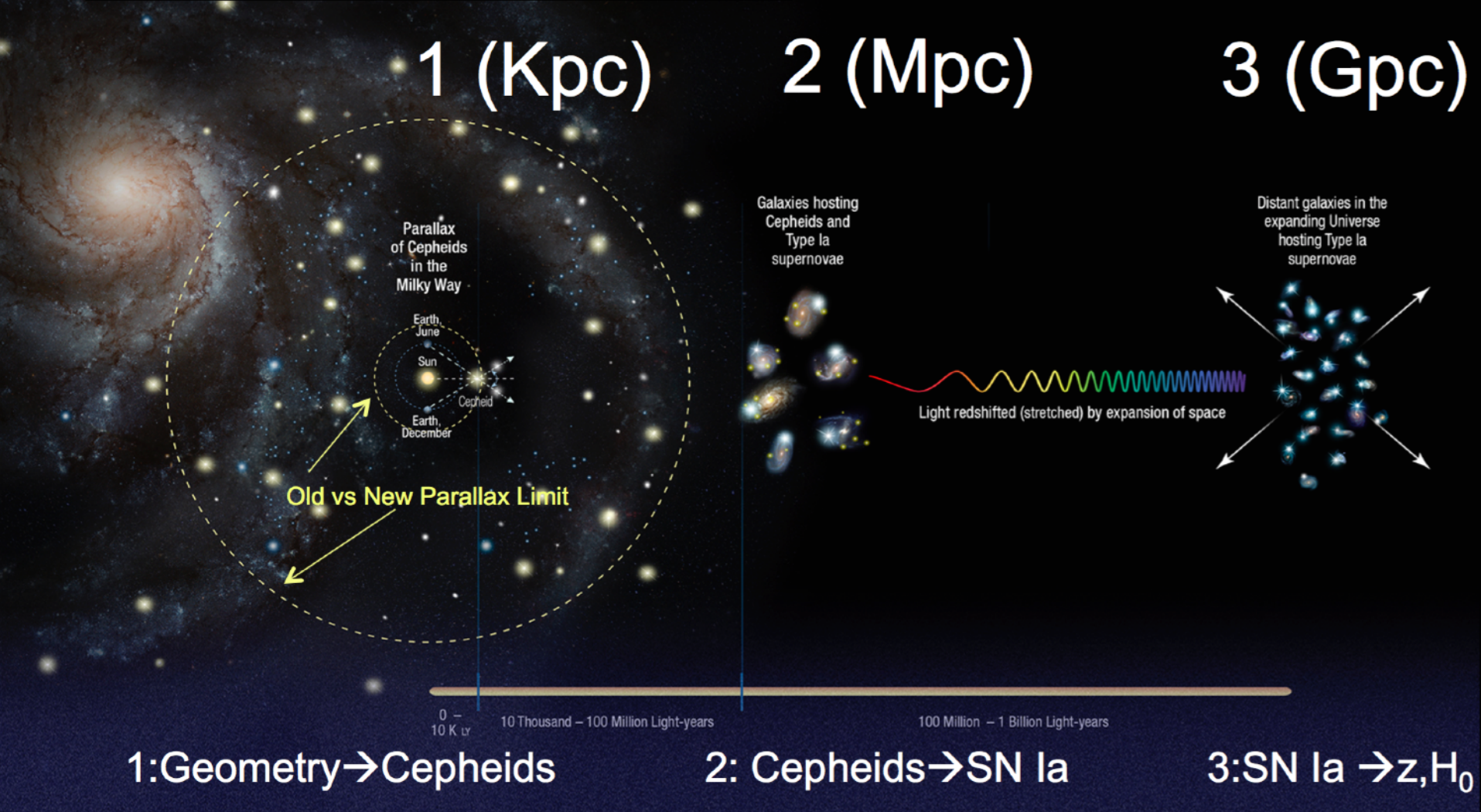
Distance Ladder

ladder to reach objects in Hubble flow ($v_{\text{peculiar}} \ll v_{\text{Hubble}} = H_0 d$)

1 (Kpc)

2 (Mpc)

3 (Gpc)



[slide material courtesy of Adam Riess]

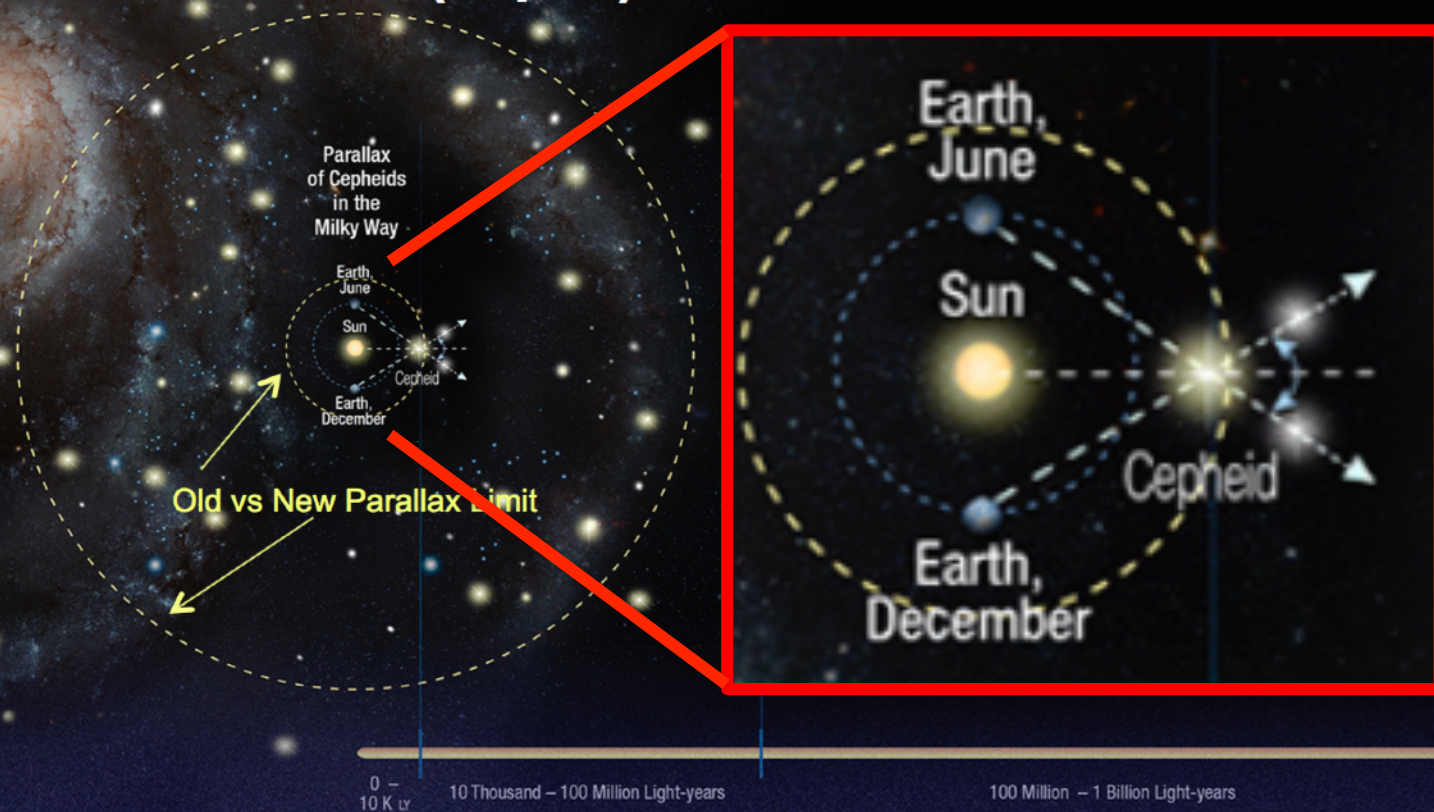
Distance Ladder

ladder to reach objects in Hubble flow ($v_{\text{peculiar}} \ll v_{\text{Hubble}} = H_0 d$)

1 (Kpc)

2 (Mpc)

3 (Gpc)



1: Geometry \rightarrow Cepheids

2: Cepheids \rightarrow SN Ia

3: SN Ia $\rightarrow z, H_0$

[slide material courtesy of Adam Riess]

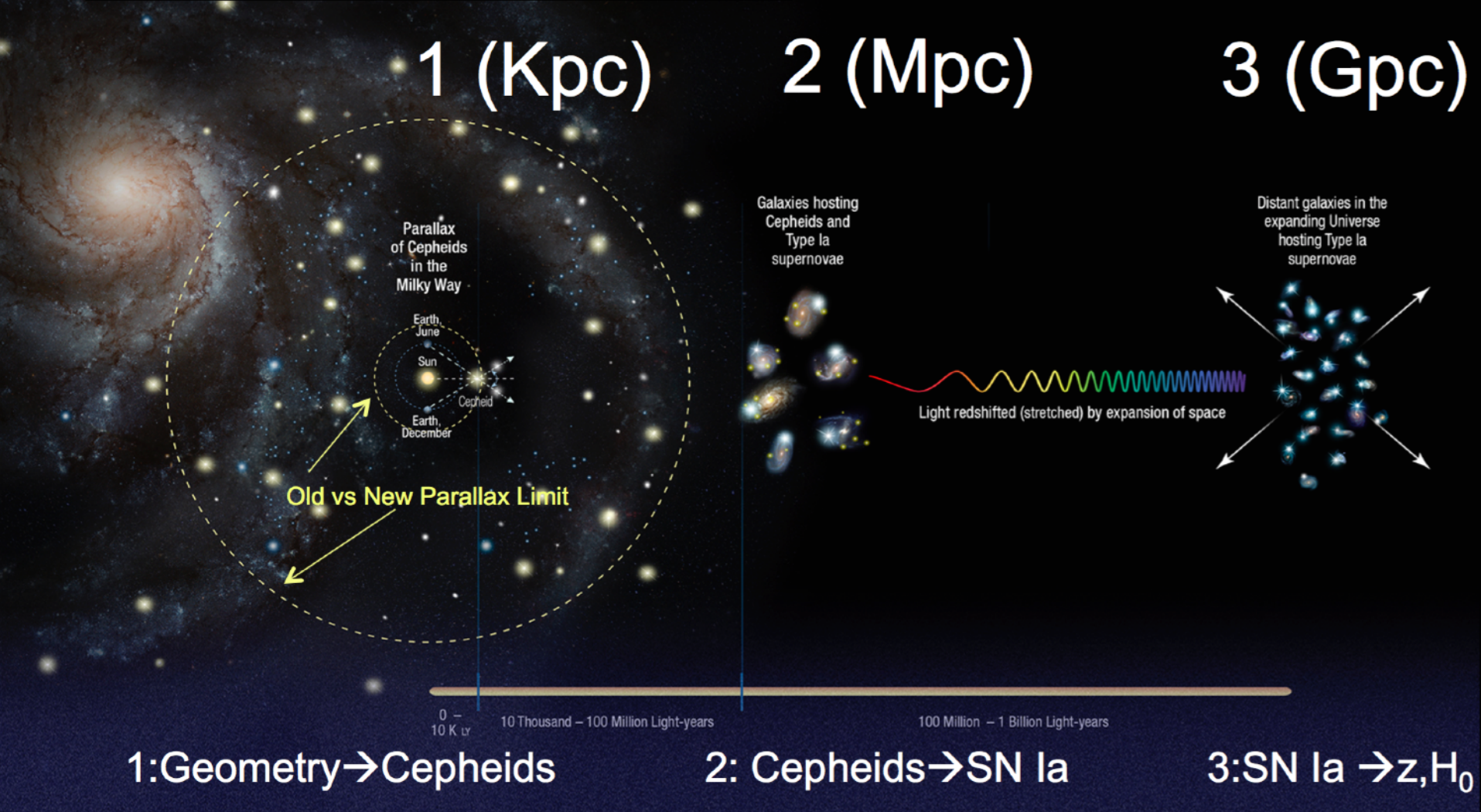
Distance Ladder

ladder to reach objects in Hubble flow ($v_{\text{peculiar}} \ll v_{\text{Hubble}} = H_0 d$)

1 (Kpc)

2 (Mpc)

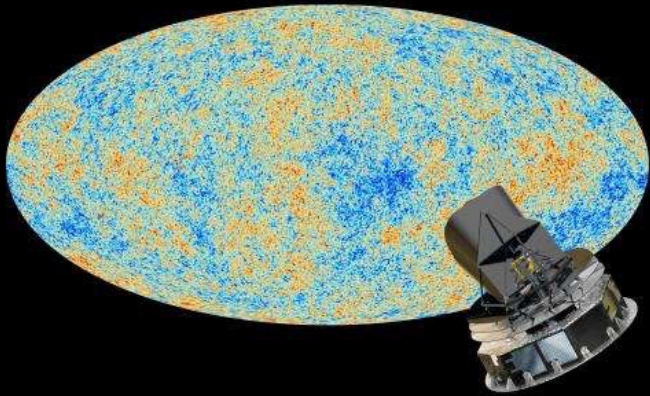
3 (Gpc)



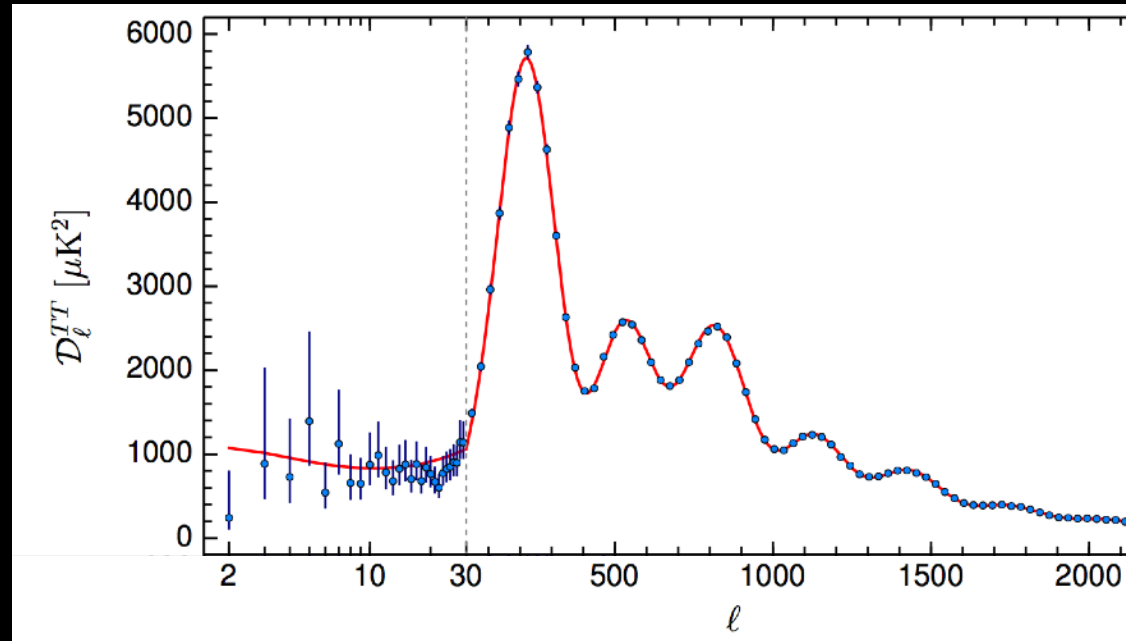
[slide material courtesy of Adam Riess]

Cosmic Microwave Background

CMB Temperature
fluctuations



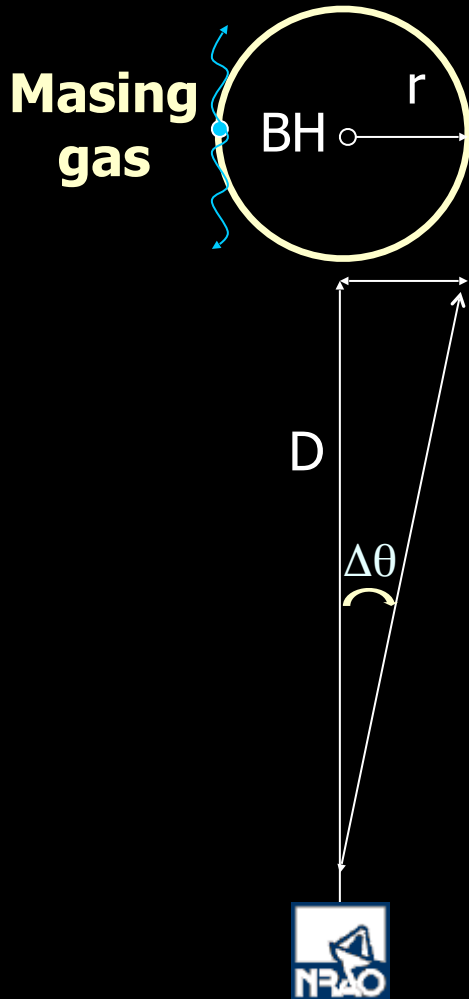
[Planck Collaboration 2016]



- (1) Ratio of peak heights $\rightarrow \Omega_m h^2, \Omega_b h^2$ [$h = H_0 / 100$ km/s/Mpc]
 - (2) Location of the first peak in **flat Λ CDM** $\rightarrow \Omega_m h^{3.2}$
- Under **flat Λ CDM** assumption, (1) and (2) yield
 $h = 0.674 \pm 0.005$ [Planck collaboration 2020]
 - Without **flat Λ CDM** assumption, h highly degenerate with other cosmological parameters (e.g., curvature, w , N_{eff})

Megamasers

Direct distance measurement without any calibration on distance ladder



1. Distance : $D = r / \Delta\theta$ (for $D \gg r$)

2. Gravitational acceleration in a circular orbit :

$$a = V_0^2 / r \quad \longrightarrow \quad r = V_0^2 / a$$

$$D = V_0^2 / a \Delta\theta$$

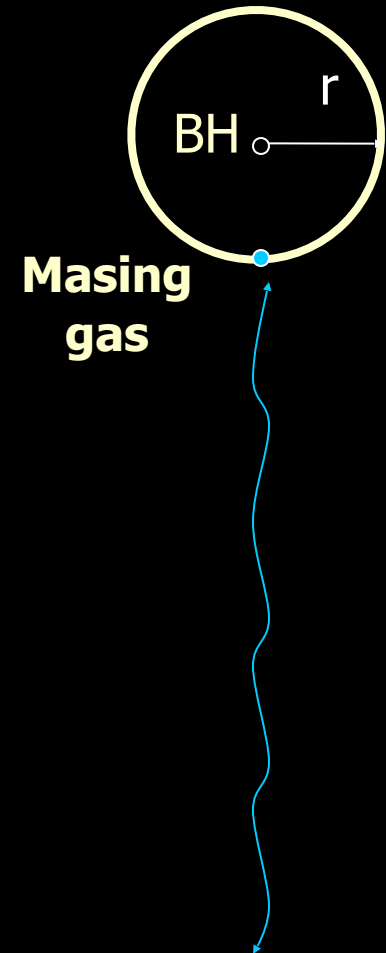
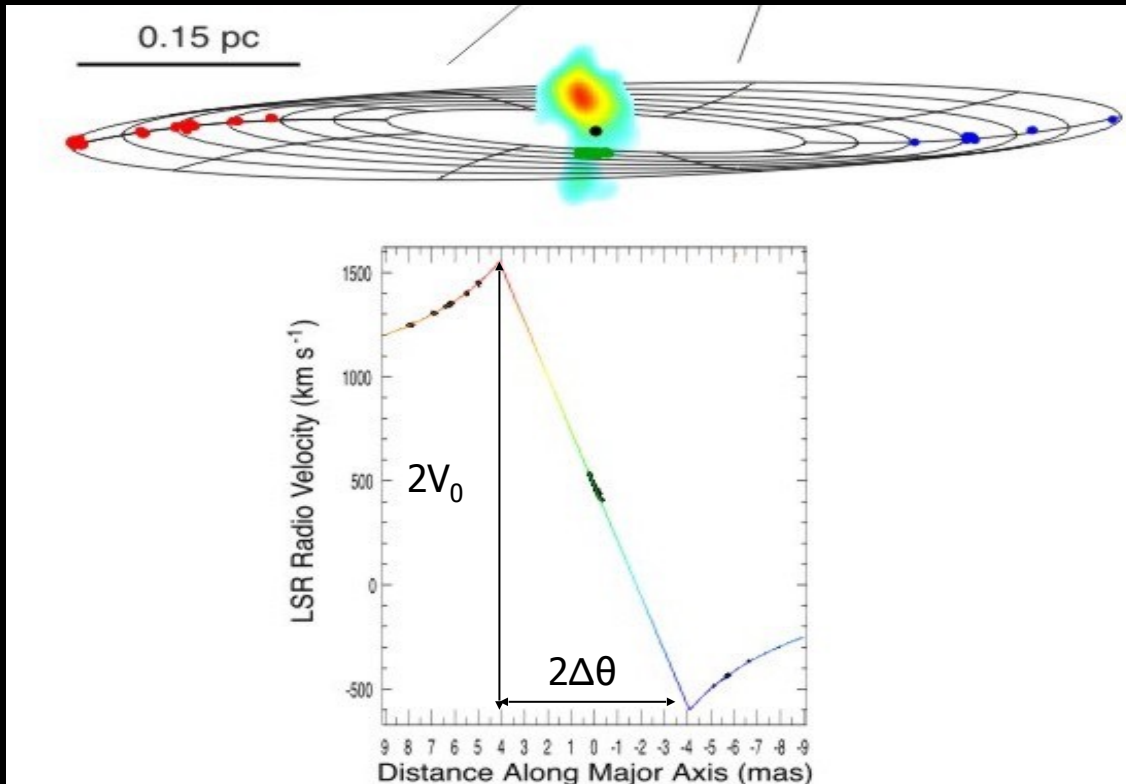
$$D = V_0^2 \sin i / a \Delta\theta$$

[slide material courtesy of Cheng-Yu Kuo]

Megamasers

$$D = V_0^2 \sin i / a \Delta\theta$$

How to measure V_0 , $\Delta\theta$, a and i ?



[slide material courtesy of Cheng-Yu Kuo]

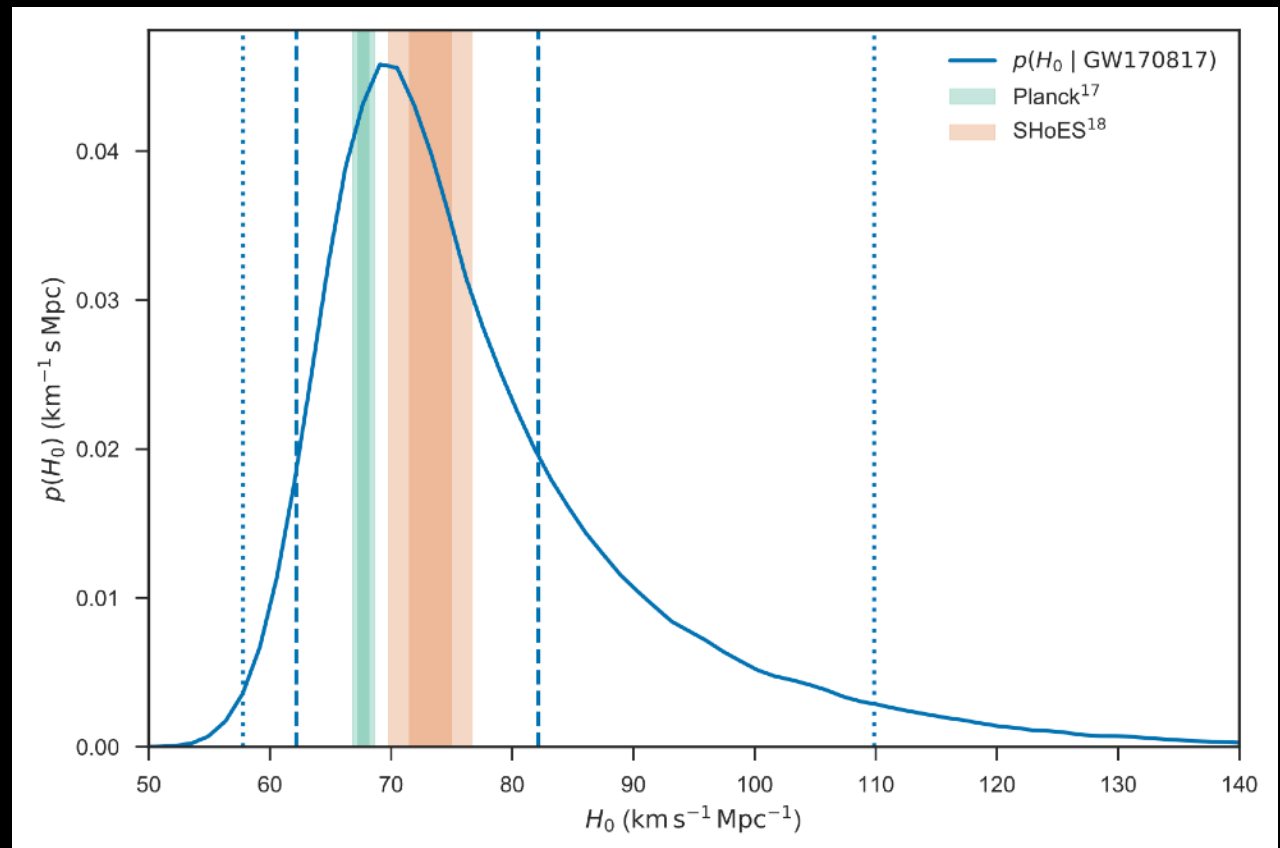
Standard Siren

Gravitational wave form \rightarrow luminosity distance D
Measure recessional velocity of EM counterpart v } $H_0 = v / D$



[Image credit:
M. Garlick]

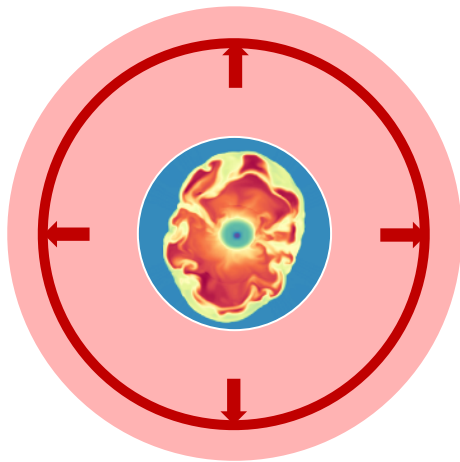
GW170817: First measurement of H_0



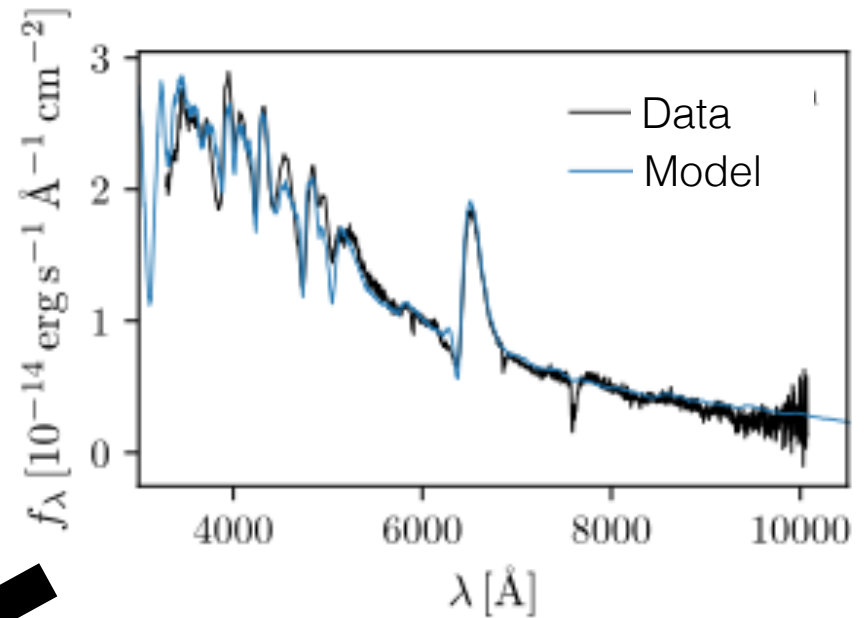
[LIGO, VIRGO, 1M2H, DES, DLT40, LCO,
VINROUGE, MASTER collaborations, 2017]

Type II supernovae

Radiation comes from
photosphere in simple
hydrogen-rich medium

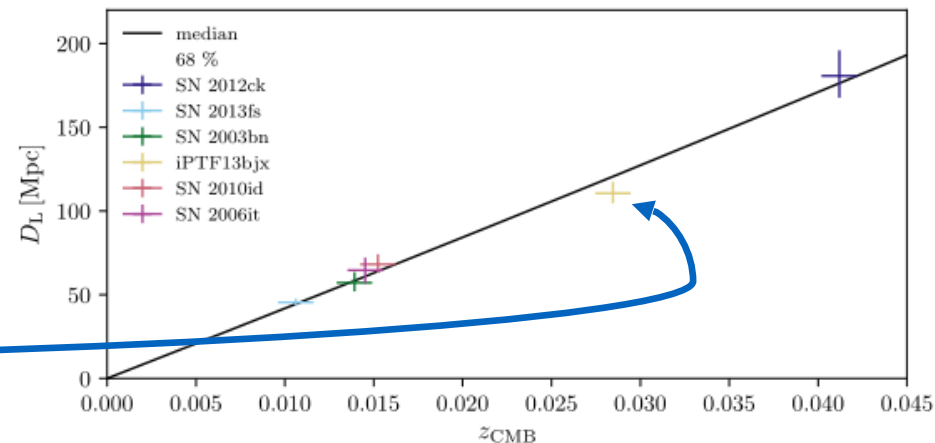


can be
modeled
accurately



Luminosity

Hubble constant



Distance

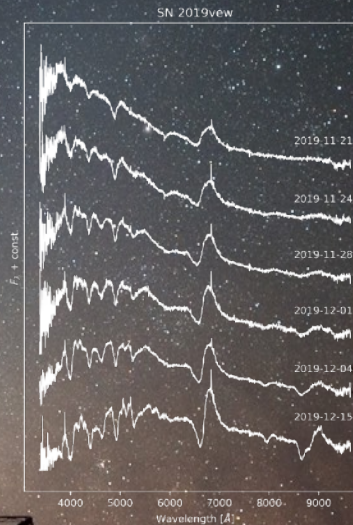
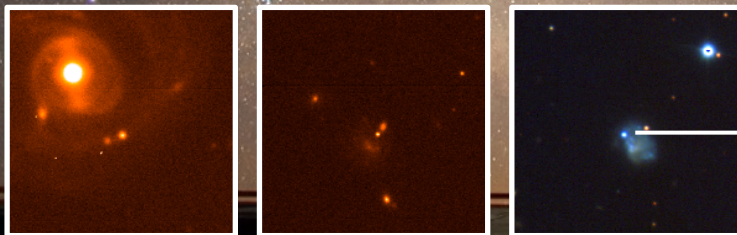
adH0cc

accurate determination of H_0 from core-collapse supernovae

<https://adh0cc.github.io/>

VLT large programme: ~150 hours over three semesters

MPA, ESO, TUM, GSI, QUB, LAM, Turku, WIS, EPFL



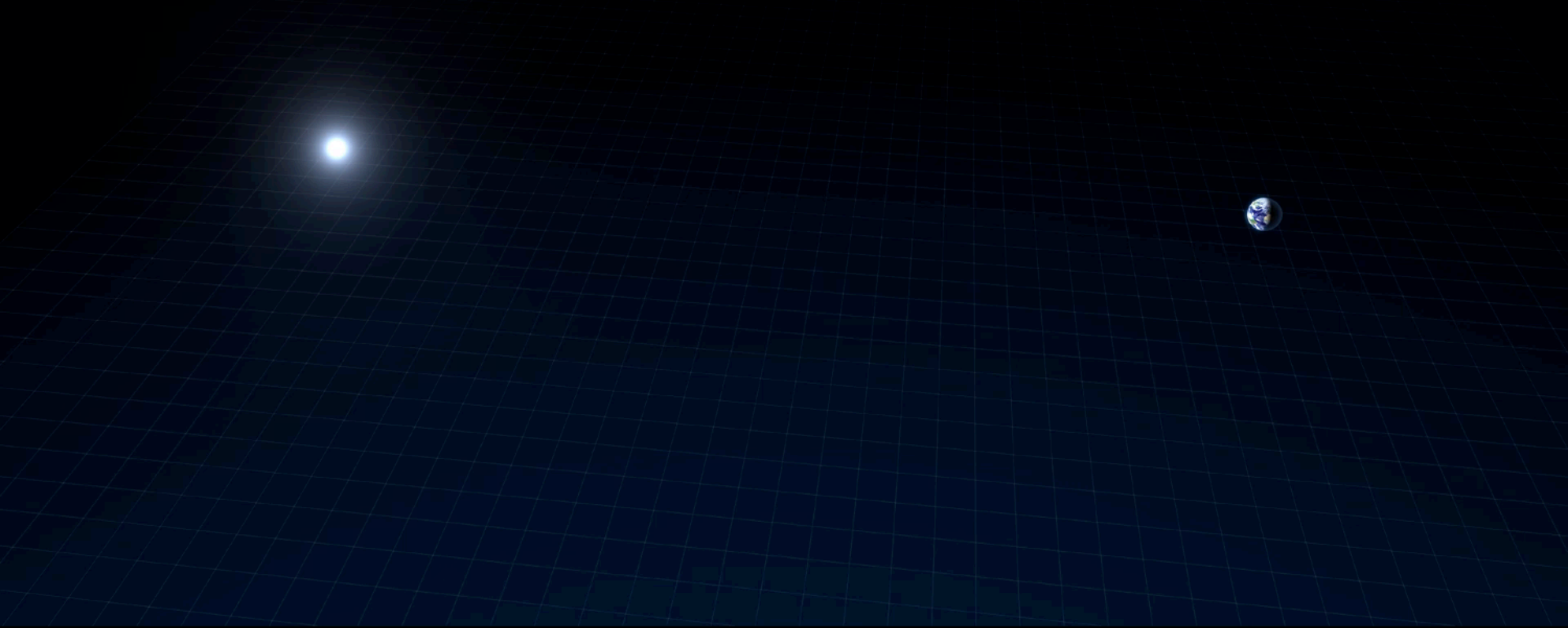
Observations are finished:
26 objects at $z > 0.03$

→ H_0 to $< 3\%$

[slide material courtesy of Christian Vogl]

Image: ESO/Y. Beletsky

Strong gravitational lensing



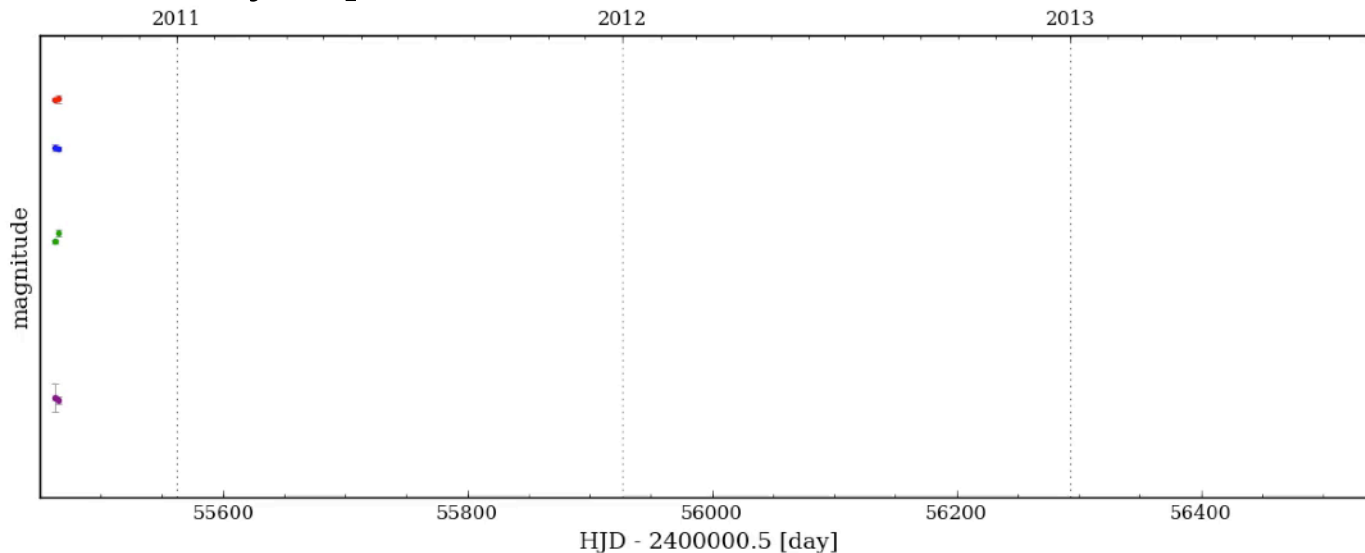
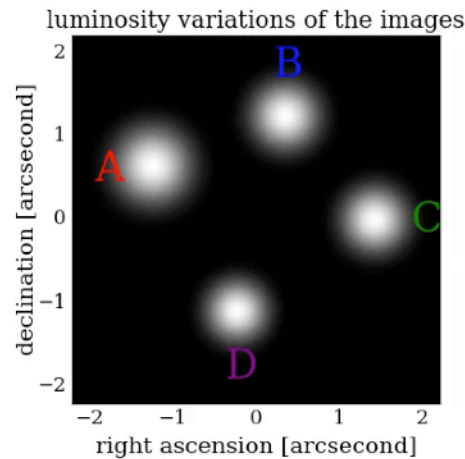
[Credit: ESA/Hubble, NASA]

Cosmology with time delays

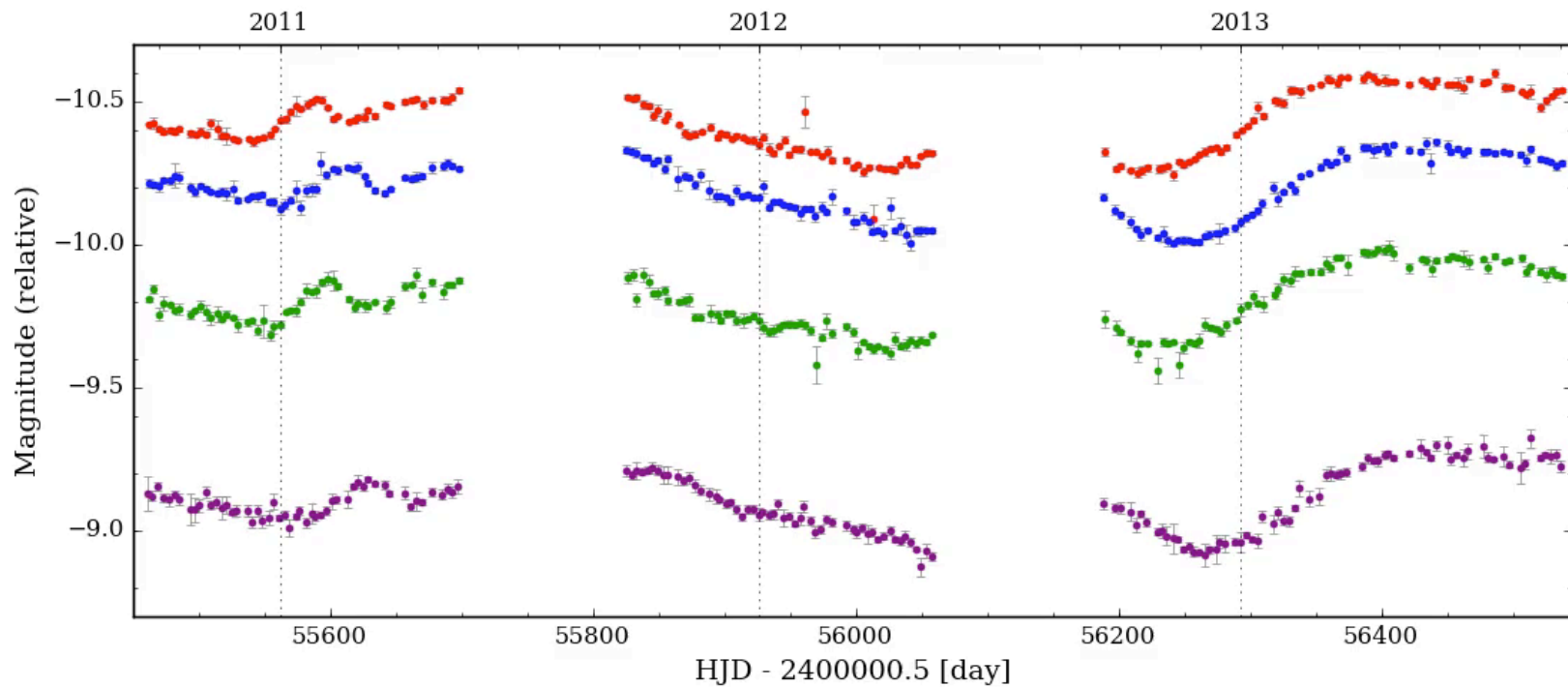


[**COS**mological
MOnitoring of
GRAvitational
Lenses;

PI: F. Courbin,
G. Meylan]

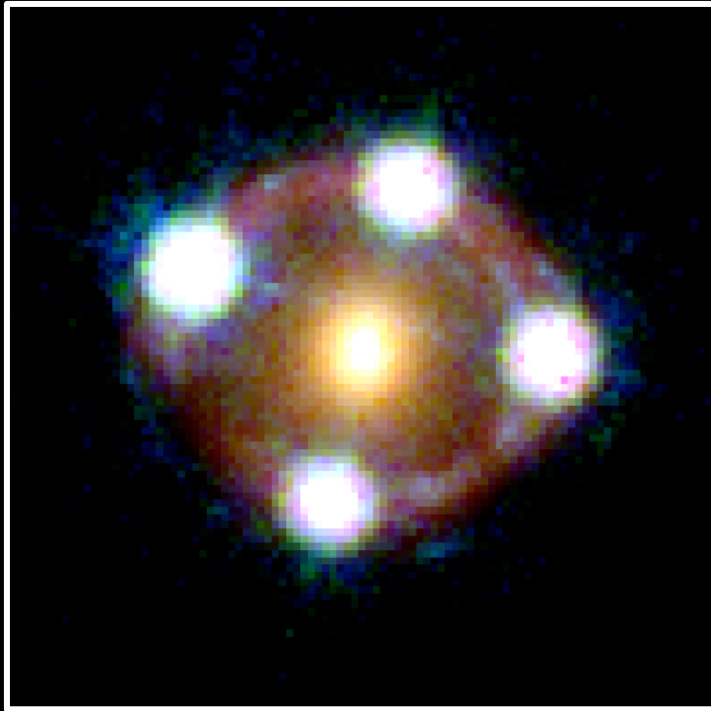


Cosmology with time delays



Cosmology with time delays

HE0435-1223



[Suyu et al. 2017]

Time delay:

$$t = \frac{1}{c} D_{\Delta t} \phi_{\text{lens}}$$

Time-delay
distance:

$$D_{\Delta t} \propto \frac{1}{H_0}$$

Obtain from
lens mass
model

[Refsdal 1964]

For cosmography, need:

- (1) time delays
- (2) lens mass model
- (3) mass along line of sight

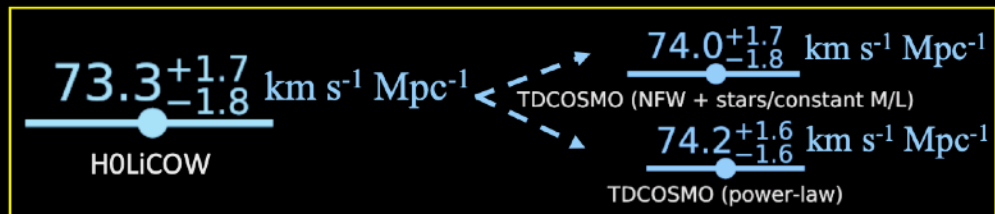
Advantages:

- **simple geometry & well-tested physics**
- **one-step physical measurement of a cosmological distance**

TDCOSMO H_0 measurements

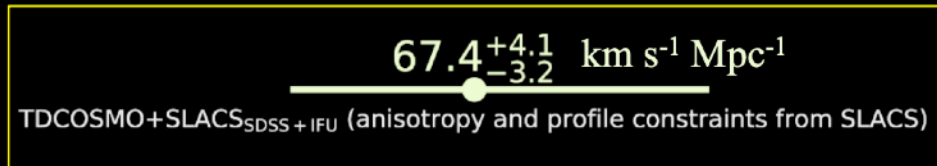
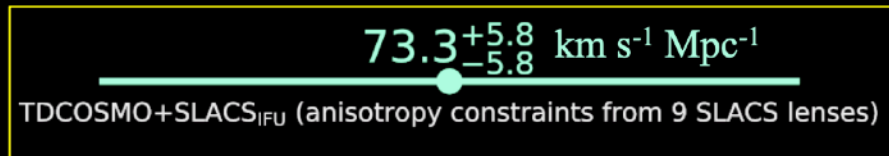
No assumption on the radial mass density profile of the lens galaxy

Galaxies are described by power law/stars+NFW mass profile



Assuming SLACS lenses and TDCOSMO lenses share the same **anisotropy and radial mass density property**

Assuming SLACS lenses and TDCOSMO lenses share the same **anisotropy** property



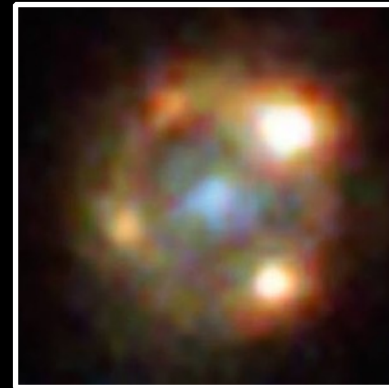
Birrer et al. 2020
Millon et al. 2020
Shajib et al. 2020
Wong et al. 2020
Chen et al. 2019

Strongly lensed supernovae

SN Refsdal



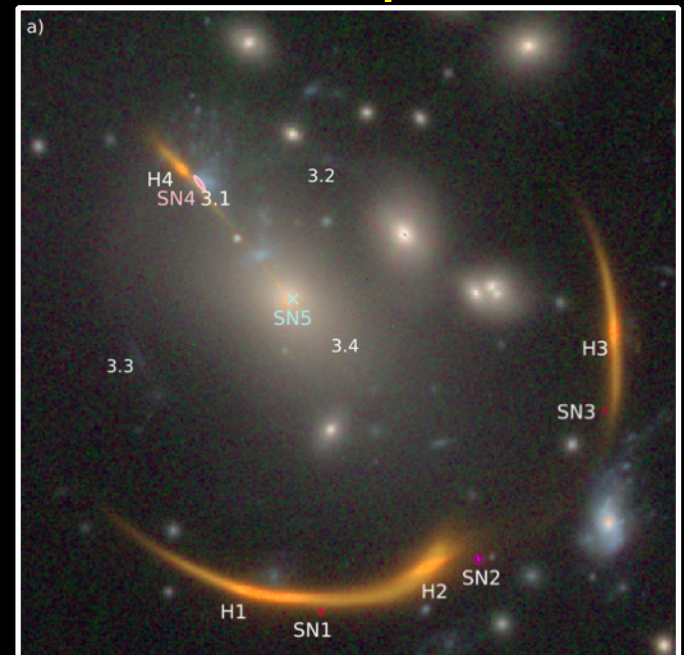
[Kelly et al. 2015]



iPTF16geu

[Goobar et al.
2017;
image credit:
NASA/ESA]

SN Requiem



[Rodney et al. 2021]

HOLISMOKES

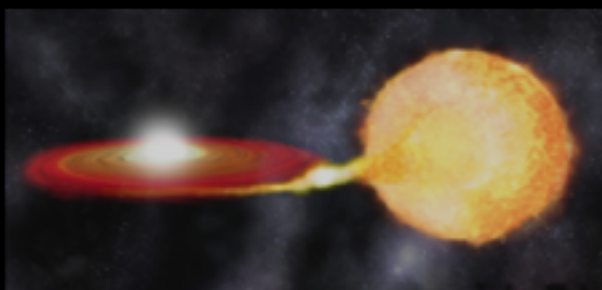
Highly **O**ptimised **L**ensing **I**nvestigations of **S**upernovae,
Microlensing **O**bjects, and **K**inematics of **E**llipticals and **S**pirals

PI: S. H. Suyu

Lensed supernovae provide great opportunities for

- 1) Measuring the expansion rate of our Universe
- 2) Constraining the progenitor of Type Ia supernova

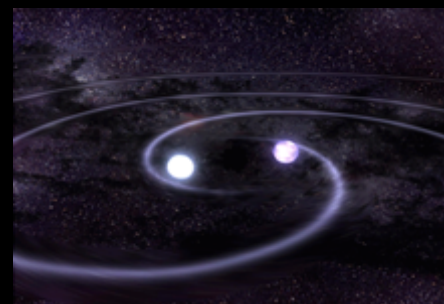
single degenerate



White dwarf (WD) accreting from
non-degenerate companion

or

double degenerate

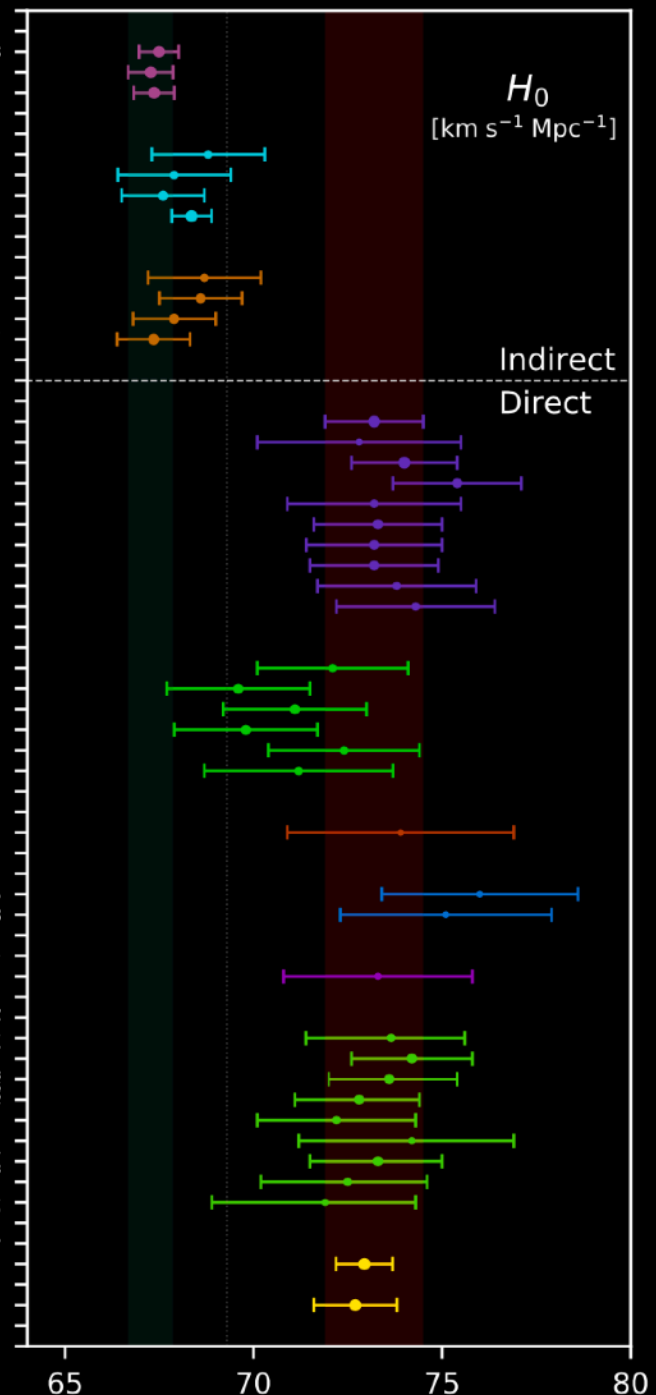


WDs merging

Recent H_0 measurements

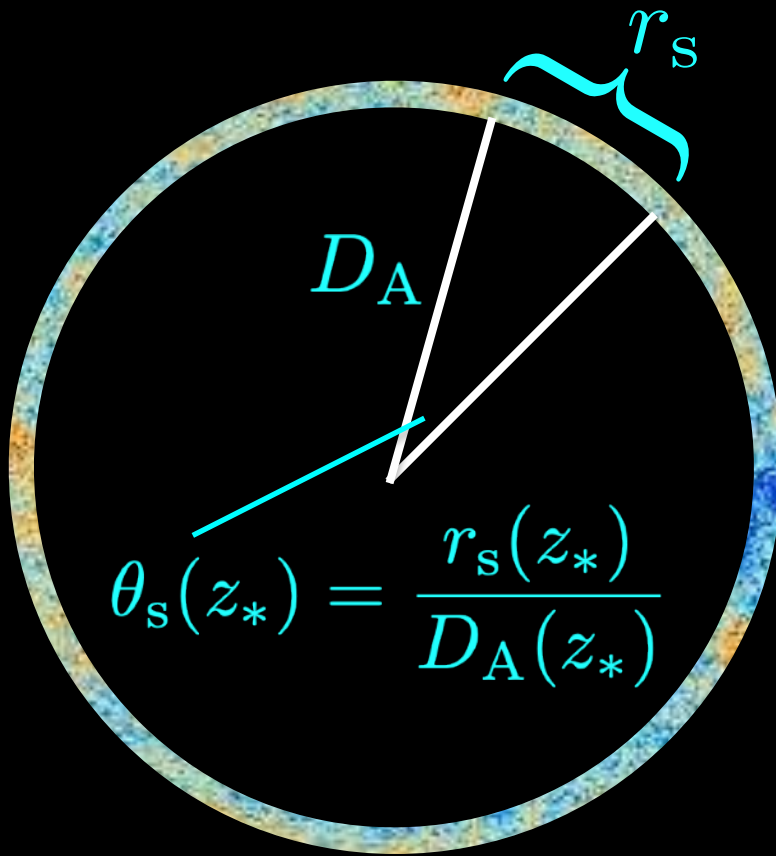
[Di Valentino et al. 2021]

CMB with Planck	
Balkenhol et al. (2021), Planck 2018+SPT+ACT	67.49 ± 0.53
Aghanim et al. (2020), Planck 2018	67.27 ± 0.60
Aghanim et al. (2020), Planck 2018+CMB lensing	67.36 ± 0.54
CMB without Planck	
Dutcher et al. (2021), SPT	68.8 ± 1.5
Aiola et al. (2020), ACT	67.9 ± 1.5
Aiola et al. (2020), WMAP9+ACT	67.6 ± 1.1
Zhang, Huang (2019), WMAP9+BAO	$68.36^{+0.53}_{-0.52}$
No CMB, with BBN	
Colas et al. (2020), BOSS DR12+BBN	68.7 ± 1.5
Philcox et al. (2020), P_z +BAO+BBN	68.6 ± 1.1
Ivanov et al. (2020), BOSS+BBN	67.9 ± 1.1
Alam et al. (2020), BOSS+eBOSS+BBN	67.35 ± 0.97
Cepheids – SN Ia	
Riess et al. (2020), R20	73.2 ± 1.3
Breuval et al. (2020)	72.8 ± 2.7
Riess et al. (2019), R19	74.0 ± 1.4
Camarena, Marra (2019)	75.4 ± 1.7
Burns et al. (2018)	73.2 ± 2.3
Follin, Knox (2017)	73.3 ± 1.7
Feeney, Mortlock, Dalmaso (2017)	73.2 ± 1.8
Riess et al. (2016), R16	73.2 ± 1.7
Cardona, Kunz, Pettorino (2016)	73.8 ± 2.1
Freedman et al. (2012)	74.3 ± 2.1
TRGB – SN Ia	
Soltis, Casertano, Riess (2020)	72.1 ± 2.0
Freedman et al. (2020)	69.6 ± 1.9
Reid, Pesce, Riess (2019), SH0ES	71.1 ± 1.9
Freedman et al. (2019)	69.8 ± 1.9
Yuan et al. (2019)	72.4 ± 2.0
Jang, Lee (2017)	71.2 ± 2.5
Masers	
Pesce et al. (2020)	73.9 ± 3.0
Tully – Fisher Relation (TFR)	
Kourkchi et al. (2020)	76.0 ± 2.6
Schombert, McGaugh, Lelli (2020)	75.1 ± 2.8
Surface Brightness Fluctuations	
Blakeslee et al. (2021) IR-SBF w/ HST	73.3 ± 2.5
Lensing related, mass model – dependent	
Yang, Birrer, Hu (2020): $H_0 = 73.65^{+1.95}_{-2.26}$	
Millon et al. (2020), TDCOSMO	74.2 ± 1.6
Qi et al. (2020)	$73.6^{+1.8}_{-1.6}$
Liao et al. (2020)	$72.8^{+1.6}_{-1.7}$
Liao et al. (2019)	72.2 ± 2.1
Shajib et al. (2019), STRIDES	$74.2^{+2.7}_{-2.7}$
Wong et al. (2019), H0LiCOW 2019	$73.3^{+1.7}_{-1.8}$
Birrer et al. (2018), H0LiCOW 2018	$72.5^{+1.8}_{-2.4}$
Bonvin et al. (2016), H0LiCOW 2016	$71.9^{+2.4}_{-3.0}$
Optimistic average	
Di Valentino (2021)	72.94 ± 0.75
Ultra – conservative, no Cepheids, no lensing	
Di Valentino (2021)	72.7 ± 1.1



How to resolve the Hubble tension?

Cosmic Microwave Background (CMB)



Last scattering surface

$r_s(z_*)$ = sound horizon at last scattering surface

$D_A(z_*)$ = angular diameter distance

$\theta_s(z_*)$ = angular scale of the sound horizon

→ measured with 0.03% precision by Planck Collaboration (2020)

How to resolve the Hubble tension?

$$\theta_s = \frac{r_s(z_*)}{D_A(z_*)}$$

r_s : pre-recombination physics
→ depends on physical densities
(baryons, radiation, CDM, neutrinos)

D_A : post-recombination physics
→ information on H_0

$\theta_s(z_*)$ = angular scale of the sound horizon

$r_s(z_*)$ = sound horizon at last scattering surface

$D_A(z_*)$ = angular diameter distance

How to resolve the Hubble tension?

$$\theta_s = \frac{r_s(z_*)}{D_A(z_*)} = \frac{\int_{z_*}^{\infty} c_s(z) dz / H(z)}{\int_0^{z_*} c dz / H(z)}$$

where in flat LCDM cosmological model:

$$H(z) = 100 h(z) \text{ km s}^{-1} \text{ Mpc}^{-1}$$

$$h(z) = \sqrt{\Omega_r h^2 (1+z)^4 + \Omega_m h^2 (1+z)^3 + \Omega_\Lambda h^2}$$

$$h = \frac{H_0}{100 \text{ km s}^{-1} \text{ Mpc}^{-1}}$$

Solution to resolve Hubble tension given fixed θ_s :

change $r_s(z_*)$ or h through changes to $H(z)$, c_s , or z_*

24

[parts of slide content courtesy of Elisa Ferreira]

Ways to change $H(z)$

- early dark energy
- additional relativistic species
(extra “dark” radiation at recombination)
 - sterile neutrinos
 - thermal axions
 - decaying dark matter
 - self-interacting dark matter
- spatial curvature of the Universe (non-flat)
- late dark energy
- ...

[e.g., Di Valentino et al. 2021 for review]

Early vs. late time solutions

$$\theta_s = \frac{r_s(z_*)}{D_A(z_*)} = \frac{\int_{z_*}^{\infty} c_s(z) dz / H(z)}{\int_0^{z_*} c dz / H(z)}$$

Early Universe Solutions

- Change only early time physics, late time almost unaffected
- fixed $\theta_s(z_*)$
 - decrease $r_s(z_*)$
 - decrease $D_A(z_*)$
 - increase H_0

[e.g., Poulin+2019; Agrawal+2019; Smith+2019; Knox & Melia 2019; Di Valentino+2021]

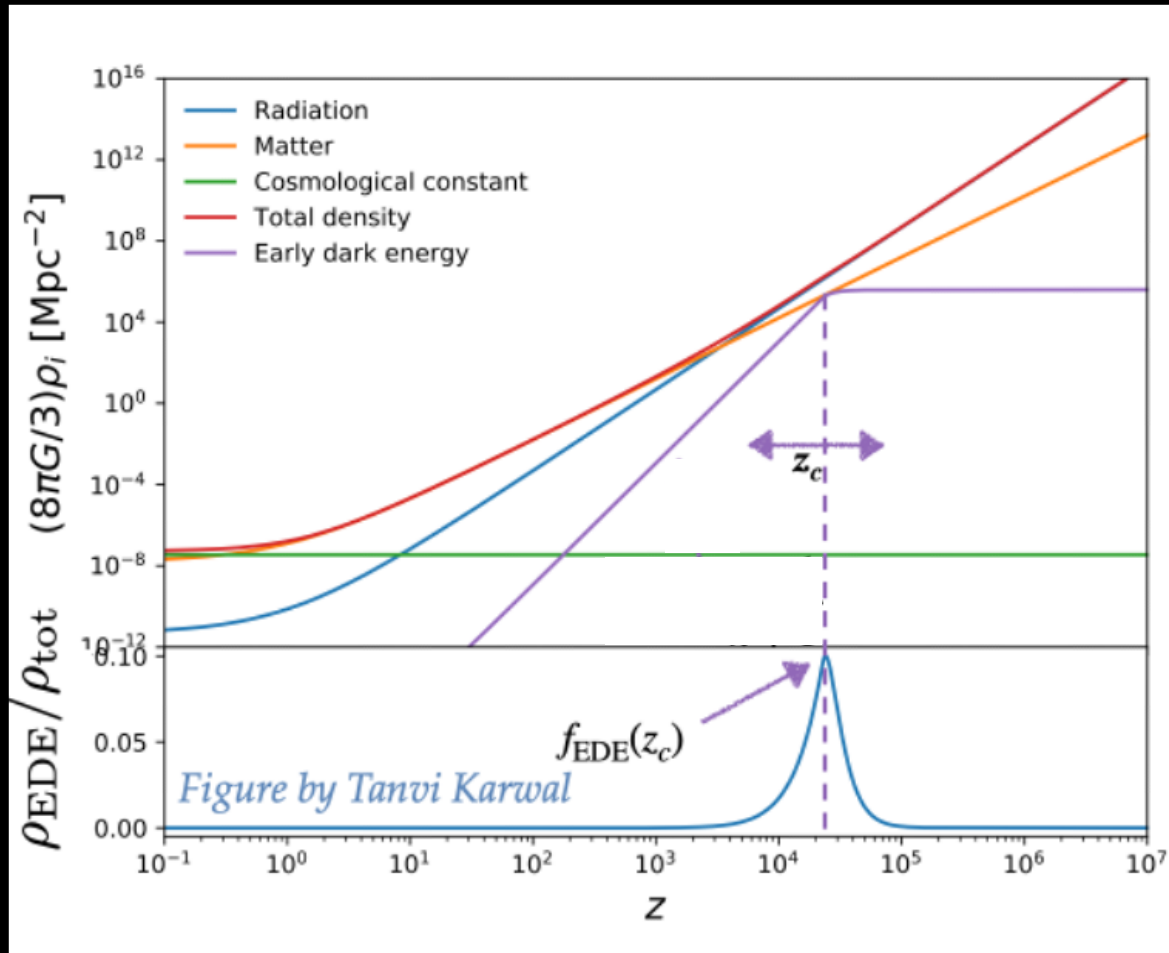
Late Universe Solutions

- Change only late time physics, early universe unaffected
- Little room for change in the physics
- *Currently the solutions do not resolve the tension, only alleviates!*

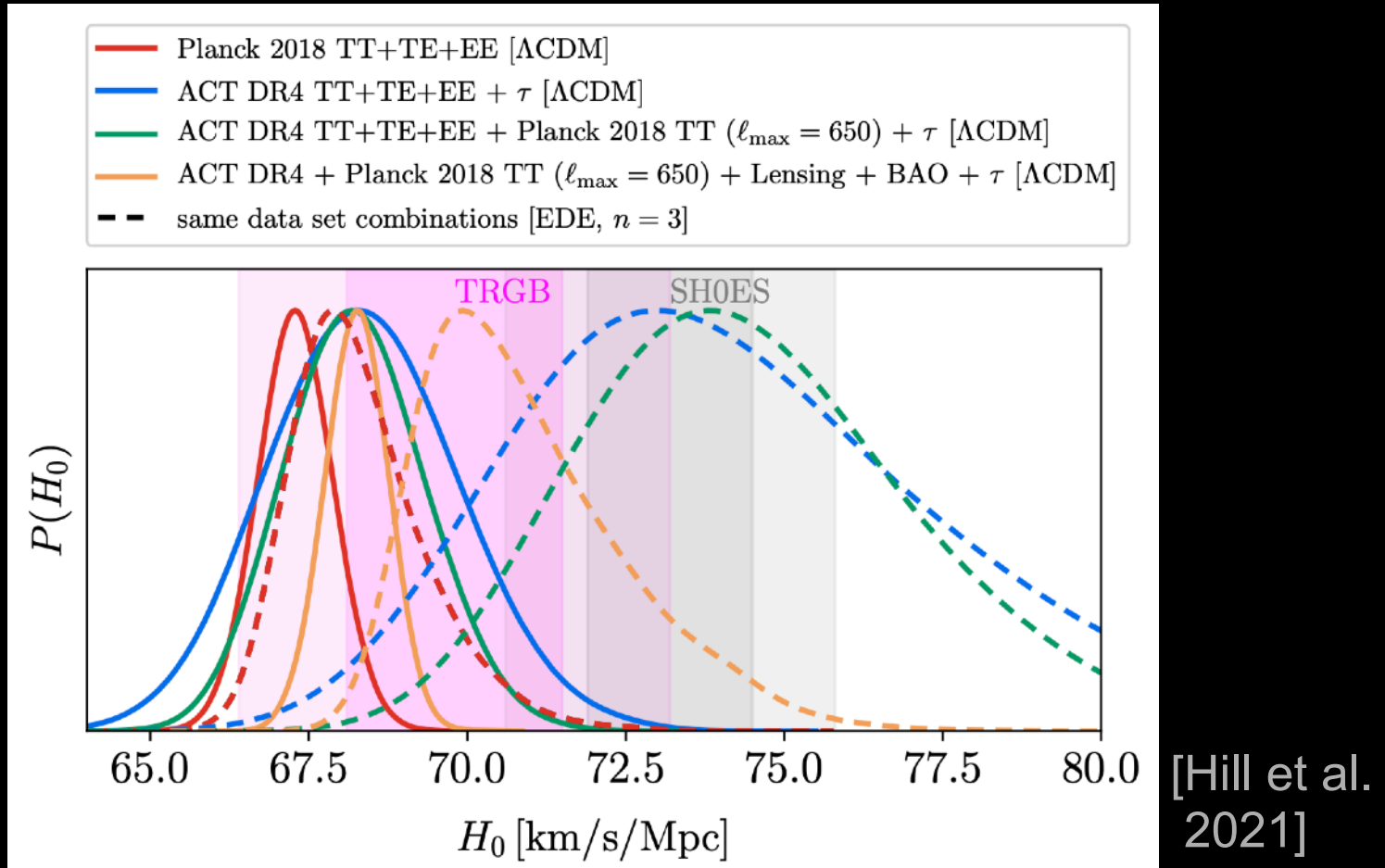
[e.g., Knox & Melia 2019; Arendse+2020; Di Valentino+2021]

Early Dark Energy

Idea: add an extra component (to increase $H(z)$) that starts acting around matter-radiation equality, behaves as dark energy and dilutes faster than matter



H_0 with Early Dark Energy



ACT + large-scale Planck TT + Planck CMB lensing + BAO data

→ the existence of EDE at $> 99.7\%$ CL.

→ $f_{\text{EDE}} = 0.091 \pm 0.020 / -0.036$, with $H_0 = 70.9 \pm 1.0 / -2.0$ km/s/Mpc

Debate ongoing whether early dark energy exists

Summary

- Intriguing tension in the measurements of the H_0 ($>4\sigma$) from Planck and from the SH0E program
- Independent measurements of H_0 are crucial to validate or refute the tension
- Several methods with the potential of reaching 1% precision in H_0 in the coming years
- New physics to resolve the H_0 tension are more likely to be at the early Universe, including early dark energy